



#### Probing Black Holes with X-ray Reverberation – New observational tools?

Dan Wilkins

with Andy Fabian, Erin Kara, Phil Uttley, Ed Cackett

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# Outline

- I. Current results from (separate) energy and timing analysis
- 2. Energy dependence of lags
- 3. Predicting lag/energy spectra
- Simultaneous lag/energy fitting as an observational tool













## We found reverberation lags...

#### Fabian+2009, Zoghbi+2010, Kara+2012, Wilkins & Fabian 2013





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## Combined with the Spectrum...

#### Wilkins & Fabian 2011, 2012





#### ...we found the corona!

#### Wilkins & Fabian 2012, 2013





# **Propagation Effects**

#### Wilkins & Fabian 2013, Arévalo & Uttley 2006





#### Can we do better?

- Treated the energy spectrum and variability/ reverberation separately
  - Signal to noise
- They are predicted by the same model
- Should be able to fit them simultaneously!
  - Better constraints on models rather than iterative best fitting between data sets
  - Breaks degeneracies



# Lags should be energy dependent





# The Lag/Energy Spectrum





# The Lag/Energy Spectrum





# Predicting Lag-Energy Spectra

• Trace rays from source to disc 5

• Observe rays with telescope





 For each, record its arrival time, redshift (energy) and intensity















# The Time-Energy Transfer Function





# The Reflection Spectrum





#### Time-Resolved Reflection





# Lag/Energy Spectrum vl





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#### The Fourier Transform

$$F(t) = \int \tilde{F}(\omega)e^{i\omega t}d\omega \qquad \qquad \tilde{F}(\omega) = \int F(t)e^{-i\omega t}dt \qquad \qquad \tilde{F}(\omega) = \left|\tilde{F}(\omega)\right|e^{i\varphi}$$



$$\tilde{H}(\omega) = \left| \tilde{H}(\omega) \right| e^{i\varphi}$$
$$\tilde{S}(\omega) = \left| \tilde{S}(\omega) \right| e^{i\theta}$$



$$\begin{split} \tilde{H}(\omega) &= \left| \tilde{H}(\omega) \right| e^{i\varphi} \\ \tilde{S}(\omega) &= \left| \tilde{S}(\omega) \right| e^{i\theta} \\ C &= S^* H = \left| \tilde{S} \right| \left| \tilde{H} \right| e^{i(\varphi - \theta)} \end{split}$$



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$$\begin{split} S(t) &= H(t) \otimes T(t) \\ \tilde{S}(\omega) &= \tilde{H}(\omega)\tilde{T}(\omega) \\ \tilde{C}(\omega) &= |\tilde{H}|^2 |\tilde{T}| e^{i\varphi_T} \end{split}$$



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$$\varphi = \omega t$$
  
$$\cdot \cdot \tau(\nu) = \frac{\arg(C(\nu))}{2\pi\nu}$$



# Lag/Frequency Spectrum









#### The Reference Band

- Intrinsic variability of the source, S(t)
- Each energy band has its own transfer function

 $L_1(t) = S(t) \otimes T_1(t)$  $L_2(t) = S(t) \otimes T_2(t)$ 

• Giving the cross spectrum

$$\tilde{C} = \tilde{L}_2^* \tilde{L}_1 = |\tilde{S}|^2 \tilde{T}_2^* \tilde{T}_1$$















#### The Current State of Affairs

- Limited by number of counts and uncorrelated noise
- Limits energy and frequency resolution



Also lose the low energy part to the hard lag







## Instrument Response



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RMF

Timing Response

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#### Cross Spectrum Fourier Transform $\tilde{C} = \tilde{L}_2^* \tilde{L}_1 = |\tilde{S}|^2 \tilde{T}_2^* \tilde{T}_1$ Fit to data (E, $\nu$ )





# Cross<br/>SpectrumFourier Transform $\tilde{C} = \tilde{L}_2^* \tilde{L}_1 = |\tilde{S}|^2 \tilde{T}_2^* \tilde{T}_1$ Fit to data (E, $\nu$ )





# Conclusions

- Predicting lag/energy/frequency spectra for X-ray reverberation models from ray tracing simulations
- Need to understand what we are <u>measuring</u> and its frequency and energy dependence
- Can construct spectra from combinations of energy, (lag) time, frequency and counts
- Models must simultaneously fit all of these spectra